## The probabilistic role of climate change on crop yield potential

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The findings and conclusions in these slides are those of the author and should not be construed to represent any official USDA or U.S. Government determination or policy.

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Background

# A Ricardian approach



#### Temperature or Environmental Variable

FIGURE 1. BIAS IN PRODUCTION-FUNCTION STUDIES

Source: Mendelsohn, Nordhaus, and Shaw's (1994) The impact of Global Warming on Agriculture: A Ricardian Analysis.

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# Popularity

Due to its simplicity, several studies report employing the *Ricardian approach* to estimate the impact of climate change on agriculture in different regions such as,

- Canada (Reinsborough, 2003),
- China (Wang et al., 2009),
- Europe (Van Passel, Masseti, and Mendelsohn, 2016), and
- South Africa (Gbetibouo and Hassan, 2005).

# (A few) Methodological limitations

Available methodologies have been proven to have limitations:

McIntonsh and Schlenker (2006),

• Do estimated parameters **reflect a long-run or short-run responses** to weather variations? Deschenes and Greenstone, (2007),

• A-temporal unobserved mechanisms cannot be controlled for by the researchers.

Schlenker and Roberts (2009),

• The relationship between crops' growth and heat is highly non-linear.

Ortiz-Bobea (2020), and

• Non-farm influences have been growing in importance in the valuation of farmland prices. Mérel and Gammans (2021).

• Estimated parameters do not reflect long-run responses to weather variations.

# Bayesian formulation of the Ricardian approach

A Byesian formulation of the Ricardian approach can circumvent several limitations that practitioners encounter when studying crop yields by incorporating model structure (Gelman, 2008; Gelman, Lee, and Guo, 2015; Van de Schoot *et al.*, 2021).

- Previous crop yield studies exploit the fact that **Bayesian inference does not dependent on asymptotic approximations** (e.g., large number of observations).
  - Ozaki et al., 2008 apply their methodology to Brasil, and
  - Ramsey (2020) combines a Bayesian framework with a quantile regression.
- My study constructs a Bayesian formulation that **integrates agronomic evidence** on the yield-weather interaction.
  - Parametrizing the dependence between unit-level produciton and global parameters permits flexibility in the model design.

#### Preview of results

Crop yield projections from Midwestern and Eastern U.S. counties for 2022, 2027, and 2032 indicate that,

- Soybean farmers in Midwestern counties will shift to corn production,
- Findings corroborate existing evidence regarding U.S. agricultural outlooks, and
- Short-term productivity gains are associated with the largest producers.

## Posterior distributions: The math

Posterior distributions are *sampled*, point estimates are *estimated*:



- y<sub>it</sub> denotes crop yield realizations,
- $x_{it}$  denotes observed weather, and
- $\theta_i$  denotes estimate values.

## Poserior distributions: The viz



Source: NSS (2016) Bayesian statistics explained to beginners in simple English in Analytics Vidhya.

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# Can we expand the probability?

A challenge of estimating posterior distributions is that *wide* distributions are unreliable (think about the trade-off between bias and variance).

$$\underbrace{p(\theta_{\mathbf{i}},\tau|y_{it},x_{it})}_{Posterior} \propto \underbrace{p(y_{it},x_{it}|\theta_{\mathbf{i}})}_{Likelihood} \underbrace{p(\theta_{\mathbf{i}},\tau)}_{Prior//hyper-prior}$$

where

•  $\tau$  is a probabilistic structure *above* the priors.

#### Likelihood

I assume that farmer maximizes output by varying inputs as a funciton of variations in weahter,  $y_{it} \equiv \Psi(x_{it}, \gamma^*(x_{it}))$ , and  $\gamma^*(x_{it})$  is optimal output employment as a reponse to observed weather.

I propose a **Beta-type probability distribution** that builds upon the work of Nelson and Preckel (1989), and Cribari-Neto and Zeileis (2010):

$$\mathcal{B}(\mu,\phi) = rac{\mathsf{\Gamma}(\phi)}{\mathsf{\Gamma}(\mu\phi)\mathsf{\Gamma}((1-\mu)\phi)} imes rac{y_{it}^{\mu\phi-1}(y_u-y_{it})^{(1-\mu)\phi-1}}{y_u^{(\phi-1)}}$$

- $1>\mu>0$  is the location parameter,
- $\phi > 0$  is the spread parameter, and
- $y_u$  is an upper limit for crop yield realizations defined by the researcher.

#### Priors

I relate data on crop yield and weather observations with my prior structures about the effect of weather on cropm yields.

$$\ln(rac{\mu}{1-\mu}) \sim \mathcal{N}(eta_i^{ extsf{GDD}} extsf{GDD} + eta_i^{ extsf{EDD}} extsf{EDD} + eta_i^{ extsf{PPT}} extsf{PPT} + \Psi(t), \sigma)$$

- my weather variables of interest are GDD, EDD and PPT,
- $\Psi(t)$  is a temporal structure that controls for non-weather variation, and
- A link function,  $g(\mu) : \mathbb{R} \mapsto (0,1)$  to keep  $B(\mu,\phi)$  well defined.

# (A peak to the) Hyper-priors

A variance-covariance matrix regulates the spatial and temporal effect of weather on crop yields.

$$egin{pmatrix} eta_i^{eta_{GDD}}\ eta_i^{eta_{EDD}}\ eta_i^{eta_{PPT}}\end{pmatrix}\sim N(\mathbf{M}, \mathbf{\Sigma}) \end{split}$$

- **M** is a vector of means, and
- Σ is a variance-covariance matrix.

#### Posterior distributions and example simulations





https://noejn2.github.io/

probabilistic crop yield potential

Results

Results Findings

## Corn and soybean yield trends in Midwestern and Eastern counties





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https://noejn2.github.io/

Bayesian formulation:

Previous crop yield studies exploit the fact that **Bayesian inference does not dependent on asymptotic approximations** (e.g., large number of observations), My study constructs a Bayesian formulation that **integrates agronomic evidence** on the yield-weather interaction, and Flexibility in the model design.

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Results:

- Soybean farmers in Midwestern counties will shift to corn production,
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